Course Syllabus

AMS10: Mathematical Methods for Engineers I

"Essentially, all models are wrong, but some are useful."--- Box, George E. P.; Norman R. Draper (1987). Empirical Model-Building and Response Surfaces, p. 424, Wiley. ISBN 0471810339

> Spring 2018 J Bask Aud 101 TuTh 11:40am-1:15pm April 2, 2018-June 8, 2018

Instructor:	Marcella Gomez		
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Office Hours: TBD or by appointment

Grading: Student Option

I. Description:

Applications-oriented course on complex numbers and linear algebra integrating Matlab as a computational support tool. Introduction to complex algebra. Vectors, bases and transformations, matrix algebra, solutions of linear systems, inverses and determinants, eigenvalues and eigenvectors, and geometric transformations.

II. Course Aims and Outcomes:

Aims

Understand basic principle concepts in linear algebra.

Specific Learning Outcomes:

By the end of this course, students will have learned how to solve linear systems of equations, calculate eigenvalues and eigenvectors of matrices, be able to interpret results, and understand properties of matrices and their implications. Students will also be able to verify answers using Matlab.

III. Homework:

Weekly homework will be due Fridays at midnight starting the second week of instruction. Homework will be posted online <u>https://glab.soe.ucsc.edu/ams10</u> and is to be submitted electronically using Canvas. A maximum of two late homework sets are accepted no questions asked to accommodate any unusual circumstances. Exceptional approval from the undergraduate/graduate office or the Disability Resource Center is required for any additional accommodations. Late homework must be turned in within a week of the due date. Select problems will be graded. HW grades will be posted but HW will not be returned so please retain a copy. Solutions with a break-down of the grading rubric will be posted for your reference. Lowest homework grade will be dropped for everyone if 80% of the class submits a course evaluation. Screenshots of evaluation completion needs to be submitted.

IV. My Assumptions

I will assume all students know how to solve linear equations with a single variable and understand basic concepts in geometry.

V. Course Requirements:

1. Class attendance and participation policy: Attendance is not enforced but in class participation will compose 5% of your grade (See section 5). Keep in mind there is no assigned textbook and lectures may or may not be posted online at the instructor's discretion.

2. Section attendance and participation policy: Section attendance is not mandatory; however, sections will be used to help students navigate through assigned homework and Matlab exercises, thereby, reducing time students spend completing HW.

3. Recommended text: Stephen H. Friedberg, Arnold J. Insel, and Lawrence E. Spence, *Linear Algebra*, second edition. (note: Course will not follow the textbook directly and it is not required but it can be used a supplement as it contains related material.) Online references will be posted on the course website if applicable.

4. Assignments: 8 HWs, 1 midterm, 1 final

5. Top Hat

We will be using the Top Hat (<u>www.tophat.com</u>) classroom response system in class. You will be able to submit answers to in-class questions using Apple or Android smartphones and tablets, laptops, or through text message.

You can visit the Top Hat Overview (<u>https://success.tophat.com/s/article/Student-Top-Hat-Overview-and-Getting-Started-Guide</u>) within the Top Hat Success Center which outlines how you will register for a Top Hat account, as well as providing a brief overview to get you up and running on the system.

An email invitation will be sent to you by email, but if don't receive this email, you can register by simply visiting our course website: https://app.tophat.com/e/810654 Note: our Course Join Code is 810654

Top Hat will require a paid subscription, and a full breakdown of all subscription options available can be found here: <u>www.tophat.com/pricing</u>.

Should you require assistance with Top Hat at any time, due to the fact that they require specific user information to troubleshoot these issues, please contact their Support Team directly by way of email (<u>support@tophat.com</u>), the in app support button, or by calling 1-888-663-5491.

V. Grading Procedures: Grades will be based on the highest of two options:

1. Option 1: (a) Homework (35%) (b) Midterm (30%)
(c) Final (30%)
(d) TopHat activity (5%)

2. Option 2:

(a) Homework (0%)
(b) Midterm (0%)

(c) Final (100%)

(d) TopHat activity (0%)

The second grading option is not meant to deter you from participation in the class but rather to provide an opportunity to make up for poor performance in the class due to any extenuating circumstances. That being said, there is no way for me to enforce your participation and my only requirement for a passing grade is that you have an adequate understanding of the course material, however, you may achieve it.

VI. Academic Integrity

No student shall take unfair advantage over any other student. If a situation is unclear please consult me.

You are encouraged to study together and to discuss information and concepts covered in lecture and the sections with other students. You can give "consulting" help to or receive "consulting" help from such students. However, this permissible cooperation should never involve one student having possession of a copy of all or part of work done by someone else, in the form of an email, an e-mail attachment file, a diskette, or a hard copy.

Should copying occur, both the student who copied work from another student and the student who gave material to be copied will both automatically receive a zero for the assignment. Repeated violations may result in failure of the course and University disciplinary action.

During examinations, you must do your own work. Talking or discussion is not permitted during the examinations, nor may you compare papers, copy from others, or collaborate in any way. Any collaborative behavior during the examinations will result in failure of the exam and may lead to failure of the course and University disciplinary action.

VII. Accommodations for students with disabilities

UC Santa Cruz is committed to creating an academic environment that supports its diverse student body. If you are a student with a disability who requires accommodations to achieve equal access in this course, please submit your Accommodation Authorization Letter from the Disability Resource Center (DRC) to me privately during my office hours or by appointment, preferably within the first two weeks of the quarter. At this time, I would also like us to discuss ways we can ensure your full participation in the course. I encourage all students who may benefit from learning more about DRC services to contact DRC by phone at 831-459-2089, or by email at drc@ucsc.edu.

VIII. Inclusivity Statement

We understand that our members represent a rich variety of backgrounds and perspectives. UCSC is committed to providing an atmosphere for learning that respects diversity. While working together to build this community we ask all members to:

• share their unique experiences, values and beliefs

- be open to the views of others
- honor the uniqueness of their colleagues
- appreciate the opportunity that we have to learn from each other in this community
- value each other's opinions and communicate in a respectful manner
- keep confidential discussions that the community has of a personal (or professional) nature
- use this opportunity together to discuss ways in which we can create an inclusive environment in this course and across the university community

Week #	Topics	Assignment	
Week 1	• (Vector algebra Complex numbers Complex exponentials Complex roots	Enroll in TopHat
Week 2	• \$ • H • N • e	Systems of linear equations Existence of solutions Method for solving linear systems: elementary row operations and reduced row echelon form	HW #1 due
Week 3	• I	Linear systems as a Matrix-vector multiplication. Matrix Algebra (including inverse, determinant) 2 ^{ad} Method for solving linear systems: using inverse for non-singular matrix	HW #2 due
Week 4	• I • S • I • O	Linear systems as linear combinations of vectors Span of a set of vectors Introduce concept of basis and subspace Concepts in linear dependence/independence of vector sets	HW #3 due
Week 5	• I t c • I i	Introduce concept of subspace Rank-nullity theorem and its relevance to linear dependence/independence of columns Introduction to the concept of kernels and images for matrices	HW #4 due
Week 6 Thursday: Midterm Review	• N • 1 • I	Matrices as operators Transformations Introduce concept of eigenvalues and eigenvectors	HW #5 due
Week 7 Tuesday: in class Midterm	• H t • V	Relating eigenvalues and eigenvectors back to previous concepts. What does it mean for a matrix to have an inverse and relation to rank and determinant	

IX. Tentative Course Schedule: (*subject to change*)

Week 8	Calculating eigenvaluesCalculating eigenvectors	HW #7 due
Week 9	Diagonalization of matricesOrthogonal basis	HW #8 due
Week 10 Thursday: Final Exam Review	 Vector projections and least squares problem OR possible guest lectures Tues Final exam review 	HW #9 due
Week 11 Final Exam: Monday, June 11, 8-11am		